## G484 The Newtonian World

| Question |  |  | Expected Answers | Marks | Additional guidance |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | a | i | Force is proportional to the rate of change of momentum (QWC This mark can only be scored if momentum is spelled correctly) | B1 | Allow "equal" instead of proportional, allow "change in momentum over time" (WTTE) Do not allow $\mathrm{F}=\mathrm{ma}$ or in words |
|  |  | ii | When one body exerts a force on another the other body exerts an equal (in magnitude) and opposite (in direction) force on the first body (WTTE) | B1 | Must refer to two bodies. Do not allow a bare "Action and reaction are equal and opposite". |
|  | b | i | area: number of squares correctly counted: 20-24 (500-600) $=\mathbf{2 . 2}$ Ns \{allow 2.0 to 2.4$\}$ | $\begin{aligned} & \text { C1 } \\ & \text { A1 } \end{aligned}$ | First mark for correct number of squares Second mark for correct conversion to Ns If $2 \Delta$ s assumed, area $=1.68 \mathrm{Ns}$ and scores 1 mark <br> 1680 scores 0 (2 errors) but 2200 scores 1 mark |
|  |  | ii | Impulse QWC must be spelled correctly | B1 | No not allow change of momentum. |
|  |  | iii | recall of Impulse $=$ change in momentum OR I $=\mathrm{mv}$ OR mv -mu ( $\mathrm{mv}=2.2$ hence $\mathrm{v}=2.2 / 0.046$ ) $\mathrm{v}=\mathbf{4 7 . 8} \mathrm{ms}^{-1}$ (hence about 50) (2.0 gives 43.5, 2.1 45.7, $2.350,2.452 .2$ ) | $\begin{aligned} & \text { C1 } \\ & \text { A1 } \end{aligned}$ | Allow 'Area = mv' <br> Allow ecf from cand's value for (b)(i): e.g. $\mathrm{mv}=1.68 \mathrm{v}=36.5 \mathrm{~ms}^{-1}$ and scores 2 marks <br> $\mathrm{mv}=2200 \mathrm{v}=47800 \mathrm{~ms}^{-1}$ also scores 2marks! (ecf) |
|  |  | iv | initial horizontal velocity $=50 \cos 42=\left(37.2 \mathrm{~ms}^{-1}\right)$ <br> initial vertical velocity $=50 \sin 42=\left(33.5 \mathrm{~ms}^{-1}\right)$ <br> time taken to reach maximum height $=33.5 / 9.8$ ( $=3.41 \mathrm{~s}$ ) <br> total time to reach ground $=2 \times 3.41=6.82 \mathrm{~s}$ hence distance $=50 \cos 42 \times t o t a l$ time $=37.2 \times 6.82=253 \mathrm{~m}$ <br> any valid assumption: eg no air resistance / horizontal velocity is constant/ acceleration due to gravity is 9.8 (or 10) $\mathrm{ms}^{-2} /$ ball follows a parabolic or symmetrical path (WTTE). | $\begin{aligned} & \mathrm{C} 1 \\ & \mathrm{C} 1 \\ & \mathrm{C} 1 \\ & \mathrm{~A} 1 \\ & \\ & \mathrm{~B} 1 \end{aligned}$ | Allow 1 mark for correct identification of cosine and sine components of $v$, without substitution. <br> Allow ecf for cand's value of $v$ throughout e.g if 47.8 is used for v , distance $\mathbf{= 2 3 2} \mathbf{~ m}$ and this scores four marks. <br> if 47800 is used distance $=2.32 \times 10^{8} \mathrm{~m}$ ! <br> Also allow "only the gravitational force is acting" "no friction" "only gravity" |
|  |  |  | Total | 12 |  |


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| 2 | a | i | $(v=2 \pi r / t) t=2 \pi 60 / 0.26=1450 \mathrm{~s}$ | B1 | Correct answer is 1449.96 hence allow $1.4 \times 10^{3}$ Do not allow a bare $1.5 \times 10^{3}$ |
|  |  | ii | $\begin{aligned} & \text { (ii) correct substitution into } \mathrm{F}=\mathrm{mv}^{2} / \mathrm{r}: \text { eg } \mathrm{F}= \\ & \left(9.7 \times 10^{3} \times 0.26^{2}\right) / 60 \\ & \mathrm{~F}=\mathbf{1 0 . 9} \mathrm{N} \\ & \hline \end{aligned}$ | $\begin{aligned} & \hline \text { C1 } \\ & \text { A1 } \end{aligned}$ | Allow 11 N |
|  | b | i | THREE correct arrows at A, B and C all pointing towards the centre (judged by eye) | B1 | Ignore starting point of arrow |
|  |  | ii | 1. Greatest reaction force is at $\mathbf{C}$ because it supports weight of sock AND provides the required upward resultant (centripetal) force (WTTE) <br> 2. Least at A because sock's weight provides part of the required downward resultant (centripetal) force (WTTE) | M1 <br> A1 <br> B1 | This is a mandatory M mark. The second mark cannot be gained unless this is scored. <br> Any indication that candidates think that the centripetal force is a third force loses this second and possibly the next mark. They must make correct reference to the resultant force that provides the required centripetal force/acceleration. Allow answers using the equation $\mathrm{F}=\mathrm{mv}^{2} / \mathrm{r}$ such as $\mathrm{N}_{\mathrm{c}}-\mathrm{mg}(\mathrm{at} \mathrm{C})=$ centripetal force $O R \mathrm{mv}^{2} / \mathrm{r}$ OR $m g+N_{A}($ at $A)=$ centripetal force $O R ~ m v^{2} / r$ |
|  |  |  | Total | 7 |  |


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| 3 | a |  | arrows (at least one) indicating direction is towards the planet. <br> All lines looking as though they would meet at the centre judged by eye | $\begin{aligned} & \mathrm{B} 1 \\ & \mathrm{~B} 1 \end{aligned}$ | At least 4 drawn and care taken Some of the lines must be outside the planet. |
|  | b | i | $\begin{aligned} & \left(\mathrm{mg}=\mathrm{GMm} / \mathrm{r}^{2} \text { and hence) } \mathrm{M}=\mathbf{g r}^{2} / \mathrm{G}\right. \\ & \text { correct substitution } \mathrm{M}=24.9 \times\left(7.14 \times 10^{7}\right)^{2} / 6.67 \times 10^{-11} \\ & \\ & =1.9 \times 10^{27} \mathrm{Kg}\left(\text { (i.e about } \mathbf{2 \times 1 0 ^ { 2 7 } )}\right. \end{aligned}$ | $\begin{aligned} & \hline \text { C1 M1 } \\ & \text { A1 } \end{aligned}$ | Equation needs to be rearranged as shown for C1 mark |
|  |  | ii | $\begin{aligned} & \text { correct substitution into } \mathrm{V}=(4 / 3) \pi \mathrm{r}^{3}=(4 / 3) \pi\left(7.14 \times 10^{7}\right)^{3}\left\{=1.52 \times 10^{24} \mathrm{~m}^{3}\right\} \\ & \text { density }=\text { mass/volume }=1.9 \times 10^{27} / 1.52 \times 10^{24}=\mathbf{1 2 5 0} \mathrm{kg} \mathrm{~m}^{-3} \end{aligned}$ | $\begin{aligned} & \mathrm{C} 1 \\ & \mathrm{~A} 1 \end{aligned}$ | If $\mathrm{m}=2 \times 10^{27} \mathrm{~kg}$ is used d = 1312 scores 2 marks |
|  |  |  | Total | 7 |  |



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| 5 | a | - | correct substitution in $E=m c \Delta \theta$ : eg $E=0.08 \times 4180 \times 40$ ratio $=0.08 \times 4180 \times 40 / 5 \times 10^{-5} \times 2460 \times 40=\mathbf{2 . 7 ( 2 )} \times \mathbf{1 0}^{3}$ | $\begin{aligned} & \mathrm{C} 1 \\ & \mathrm{~A} 1 \end{aligned}$ | Allow 80x4180/0.05x2460 (13376/4.92) for this C1 mark. <br> 1: 2700 does not score the second mark. |
|  |  | ii | Any valid advantage: eg car cooling systems because it absorbs large amounts of heat for a small rise in temp OR ideal fluid for central heating systems because it releases large amounts of heat for a small drop in temp. OR helps to maintain constant body temperature since body is mainly water which absorbs lots of heat for small temp rise | $\begin{aligned} & \text { B1 } \\ & \text { B1 } \end{aligned}$ | First mark for valid situation Second mark for correct explanation of why the high value of the shc is helpful. |
|  | b |  | labelled diagram (2 marks): <br> liquid in vessel with electrical heater (submerged) and thermometer ammeter connected in series between supply and heater AND voltmeter connected across heater. <br> list of measurements (3 marks): <br> mass of liquid, <br> initial and final temperature/change of temp (of the liquid) <br> I, V and $t$ values OR energy meter readings OR power and time <br> explanation (1 mark): <br> $E=m c \Delta \theta$ rearranged to $c=E / m \Delta \theta$ <br> uncertainties (2 marks) each stated with explanation of remedy: e.g. <br> - heat losses (makes E or $\Delta \theta$ uncertain) (solved by) insulating beaker/use lid <br> - false temp reading (solved by) stir the liquid <br> - temp continues to rise after heater switched off measure highest value <br> - thermal capacity of vessel (solved by) take this into account in calculation | B1 <br> B1 <br> B1 <br> B1 <br> B1 <br> B1 <br> $\max 2$ | Allow use of joule meter if convincingly connected to heater and power supply i.e. 2 wires from power supply two wires to heater <br> Allow such things as "find mass", "known mass", "10K temp rise", "time for 2 minutes" "known power", etc. <br> Allow ItV/m $\Delta \theta$. <br> Do not allow "repeat the experiment". Give credit for valid suggestions if mentioned anywhere in the description of the experiment. |
|  |  |  | Total | 12 |  |


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| Q 6 | a |  | ( n ) number of moles <br> (T) absolute temperature OR thermodynamic temp OR temp measured in Kelvin | $\begin{aligned} & \mathrm{B} 1 \\ & \mathrm{~B} 1 \end{aligned}$ | Accept $\mathbf{K}$ for Kelvin |
|  | b | i | (When gas is heated) molecules gain KE/move faster this would cause more collisions/sec (with the walls) collisions exert more force/greater change in momentum per collision For constant pressure fewer collisions/sec are required Constant pressure is achieved by the increase in volume OR with a bigger volume there are fewer collisions/sec | B1 B1 B1 B1 B1 $\max 4$ | If no reference to rate of collisions, max of 3 marks <br> This must be explained fully but can be done with reference to $P=(1 / 3) \rho\left\langle c^{2}\right\rangle$ |
|  |  | ii | $\begin{array}{r} \text { correct substitution in } \mathrm{pV} / \mathrm{T}=\text { constant: } \mathrm{OR} \mathrm{~V} / \mathrm{T}=\text { constant } \\ \text { e.g. } 1.2 \times 10^{-4} / 293=\mathrm{V} / 363 \\ \mathrm{~V}=(363 / 293) \times 1.2 \times 10^{-4}=\mathbf{1 . 4 9 \times 1 0 ^ { - 4 } \mathrm { m } ^ { 3 } .} \end{array}$ | $\begin{aligned} & \text { C1 } \\ & \text { A1 } \end{aligned}$ | Both temps must be in Kelvin. Allow $1.5 \times 10^{-4} \mathrm{~m}^{3}$ |
|  | C |  | Use of $1 / 2 \mathrm{~m}<\mathrm{c}^{2}>=3 / 2 \mathrm{kT}$ <br> Correct substitution: $\sqrt{ }\left\langle\mathrm{c}^{2}\right\rangle=\sqrt{ }(3 \mathrm{kT} / \mathrm{m})=\sqrt{ }\left(3 \times 1.38 \times 10^{-23} \times 363 / 4.7 \times 10^{-26}\right)$ $\checkmark<\mathrm{c}^{2}>=565 \mathrm{~ms}^{-1}$ | $\begin{aligned} & \mathrm{C} 1 \\ & \mathrm{C} 1 \\ & \mathrm{~A} 1 \end{aligned}$ | If $90^{\circ} \mathrm{C}$ is used $\sqrt{ }\left\langle\mathrm{c}^{2}\right\rangle=282 \mathrm{~ms}^{-1}$ and scores 2 marks <br> Allow $570 \mathrm{~ms}^{-1}$ <br> If they do not square root, they get $319225 \mathrm{~ms}^{-1}$ and score 2 marks |
|  |  |  | Total | 11 |  |

